

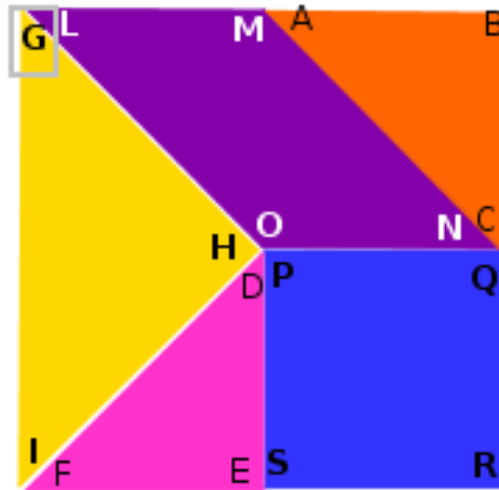
Fun with triangles and quadrilaterals - Make your own shapes!

Instruction manual:

Activity-1

1.) Observe the figure below.

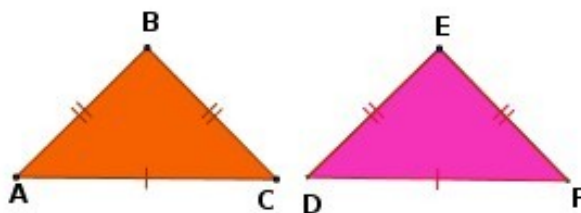
You see 5 shapes put together to form a larger shape.



2) Now let us make each of these figures with our own dimensions and see if we can put it back together. Before we cut out, see if there is any connection between the sides of each of these figures.

3) Let us see how the sides of each shape are related.

- ◆ First, let us look at the two small triangles – orange ($\triangle ABC$) and pink ($\triangle DEF$).

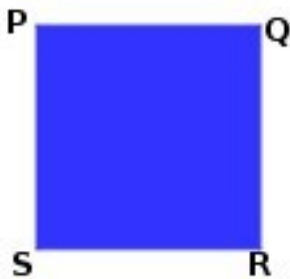


In each of the orange ($\triangle ABC$) and pink ($\triangle DEF$) triangle, two sides are equal. Such triangles have a special name – do you remember?

In $\triangle ABC$, AB and AC are equal and in $\triangle DEF$, DE and DF are equal. Also in the two triangles $\triangle ABC$ and $\triangle DEF \implies AB = DE, BC = EF$ and $AC = DF$. The orange ($\triangle ABC$) and pink ($\triangle DEF$) triangles are exactly the same size – can you make out?

Try and cut them out in such a manner that you can keep one on top of the other.

◆ *Second*, let us look at the square PQRS.



What is the side of the square PQRS equal to? Can you guess? See the sides PQ, QR, RS and SP. Can you see any connection with the sides of the triangle?

All sides of a square are equal.

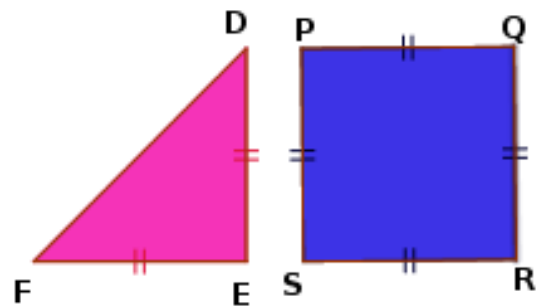
In $\triangle DEF$ and square PQRS,

$$PS = DE = DF = EF$$

$$PQ = DE = DF = EF$$

$$QR = DE = DF = EF$$

$$RS = DE = DF = EF$$



From above we have also seen that orange ($\triangle PQR$) and pink ($\triangle DEF$) triangles are same.

Hence,

$$PS = DE = DF = EF \quad QR = DE = DF = EF$$

$$PQ = DE = DF = EF \quad RS = DE = DF = EF$$

Can you make the triangle now?? you make the triangle now??

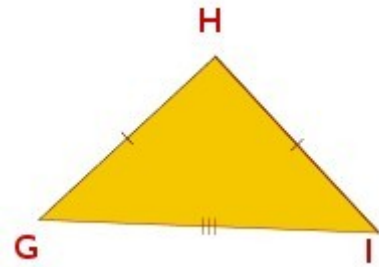
- ◆ **Third**, let us look at the **yellow triangle** ($\triangle GHI$)– is there anything special about this triangle?

In this triangle – *are all sides equal?*

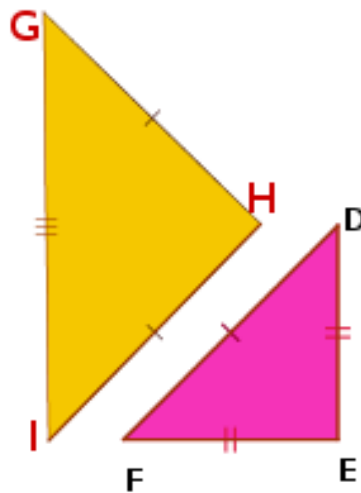
-- *are two sides equal?or*

-- *Nothing equal?*

If equal, which sides are equal?



Compare this with the pink and yellow triangle.



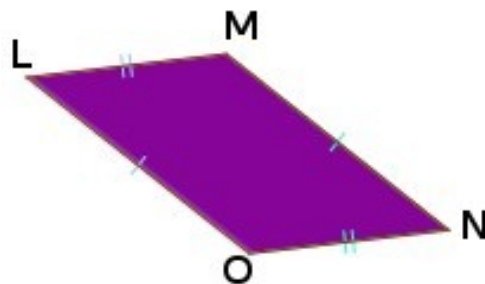
The smaller side of the **yellow triangle** ($\triangle GHI$) must be equal to the larger side of the **pink triangle** ($\triangle DEF$).

That is, in $\triangle DEF$ and $\triangle GHI$ $\implies DF = DE = DE = EF$

Also since orange ($\triangle PQR$) and pink ($\triangle DEF$) triangles are same.

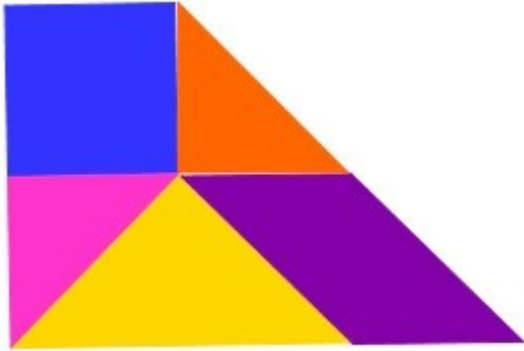
$\implies AC = DE = DE = EF$

- ◆ Now you are ready to look at the last figure – which is a **parallelogram** LMNO. What is special about this figure? Can you guess?

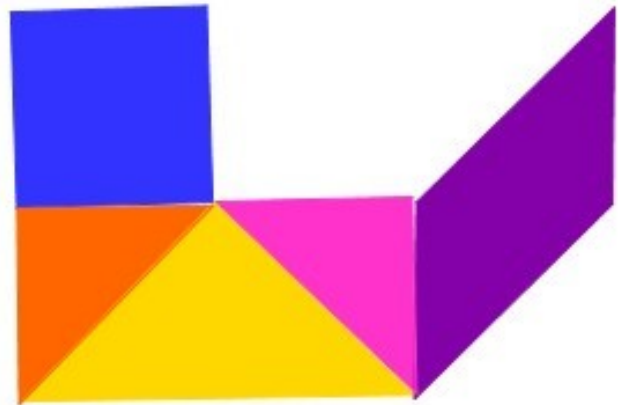


3) Try and put the shape below together, follow the above example.

(i)



(ii)

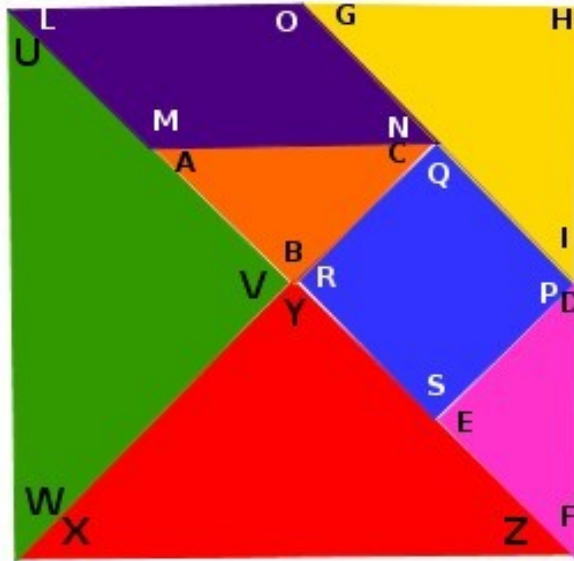


4) If you stick your shapes on cardboard, you have your own **Tangram** shapes!

Activity-2 (Using 7-shapes)

1.) Observe the figure below.

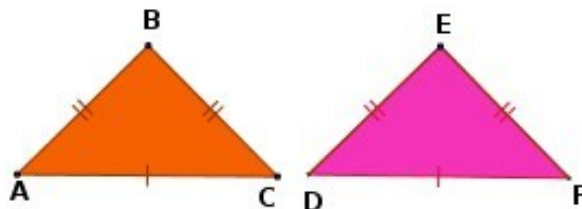
You see 7 shapes put together to form a larger shape.



2) Now let us make each of these figures with our own dimensions and see if we can put it back together. Before we cut out, see if there is any connection between the sides of each of these figures.

3) Let us see how the sides of each shape are related.

- ◆ First, let us look at the two *small triangles* – orange ($\triangle ABC$) and pink ($\triangle DEF$).

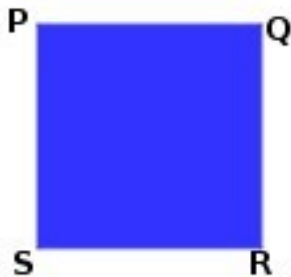


In each of the orange ($\triangle ABC$) and pink ($\triangle DEF$) triangle, two sides are equal. Such triangles have a special name – do you remember?

In $\triangle ABC$, AB and AC are equal and in $\triangle DEF$, DE and DF are equal. Also in the two triangles $\triangle ABC$ and $\triangle DEF \implies AB = DE, BC = EF$ and $AC = DF$. The orange ($\triangle ABC$) and pink ($\triangle DEF$) triangles are exactly the same size – can you make out?

Try and cut them out in such a manner that you can keep one on top of the other.

- ◆ **Second**, let us look at the **square PQRS**.



What is the side of the **square PQRS** equal to? Can you guess? See the sides PQ, QR, RS and SP . Can you see any connection with the sides of the triangle?

All sides of a square are equal.

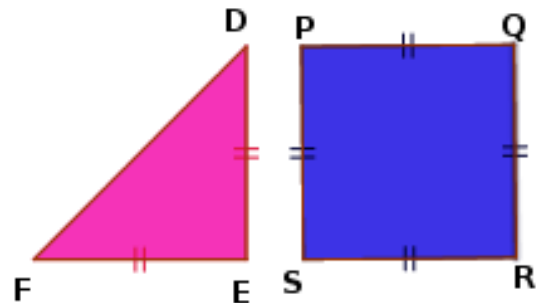
In $\triangle DEF$ and **square PQRS**,

$$PS = DE = DE = EF$$

$$PQ = DE = DE = EF$$

$$QR = DE = DE = EF$$

$$RS = DE = DE = EF$$



From above we have also seen that orange ($\triangle PQR$) and pink ($\triangle DEF$) triangles are same.

Hence,

$$PS = DE = DE, = EF \quad QR = DE = DE = EF$$

$$PQ = DE = DE, = EF \quad RS = DE = DE = EF$$

Can you make the triangle now?? you make the triangle now??

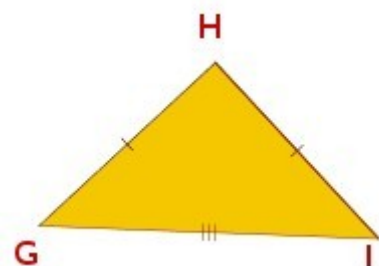
- ◆ **Third**, let us look at the **yellow triangle ($\triangle GHI$)**– is there anything special about this triangle?

In this triangle – *are all sides equal?*

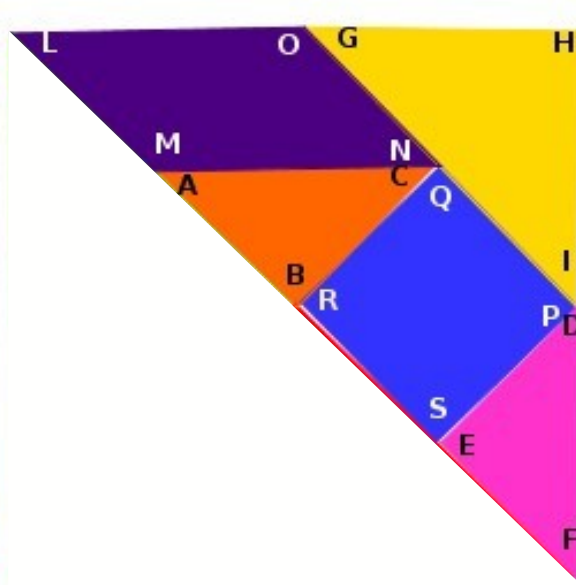
-- *are two sides equal? or*

-- *Nothing equal?*

If equal, which sides are equal?



Compare the longer side of **yellow triangle**, with sides of **parallelogram LMNO** and **square PQRS**



What do you see?

$GI = ON + QP$, that is these sides of parallelogram and square makes side GI of yellow triangle GHI.

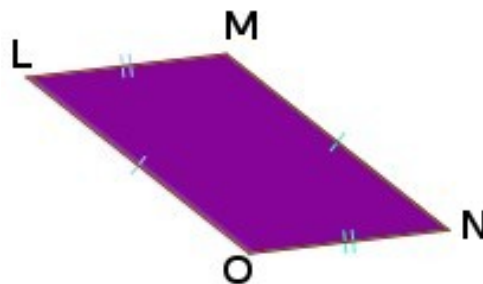
Also, the smaller side of the **yellow triangle** ($\triangle GHI$) must be equal to the larger side of the **pink triangle** ($\triangle DEF$).

That is, in $\triangle DEF$ and $\triangle GHI \implies DF = DE = DE = EF$

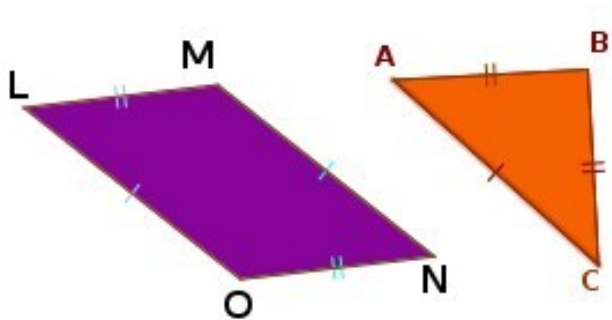
Also since orange ($\triangle PQR$) and pink ($\triangle DEF$) triangles are same.

$\implies AC = DE = DE = EF$

- Now you are ready to look at this figure – which is a **parallelogram LMNO**. What is special about this figure? Can you guess?



Cut the **parallelogram LMNO** matching one side with the **orange triangle ($\triangle ABC$)** and one side with the **yellow triangle ($\triangle GHI$)**
 That is, in $\triangle ABC$ an **parallelogram LMNO** angle now??d

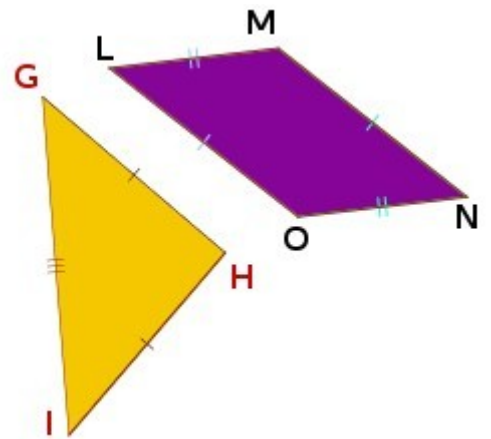


$LO = DE = ADE$, and if you make the triangle
 $LM = DE = DE = DE = EF$

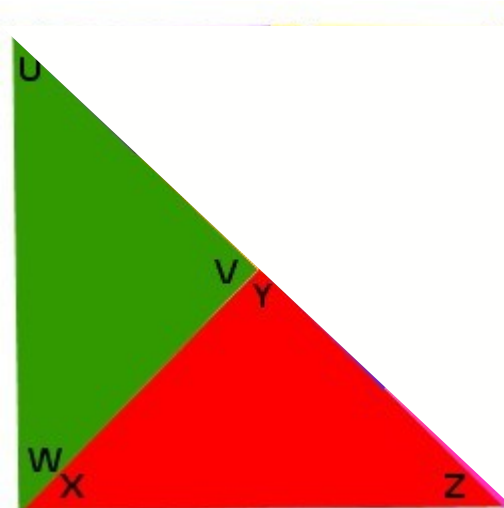
In $\triangle GHI$ an **parallelogram LMNO** angle now

$HI = DE = DE = DE = EF$

(In parallelogram opposite sides are equal that is, $LM = ON$ and $LO = MN$)



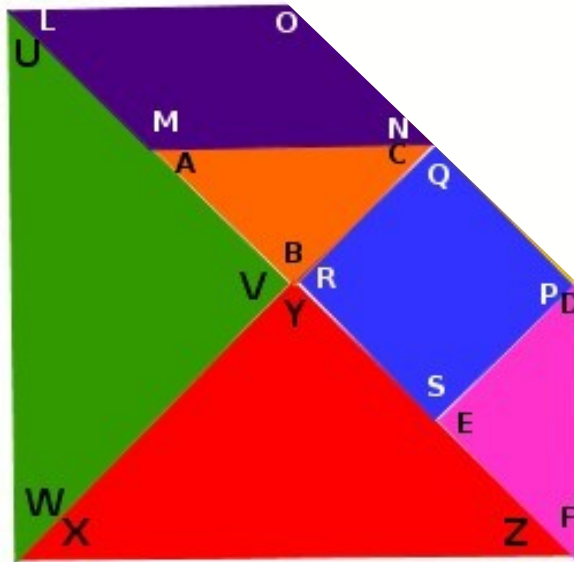
- ◆ Now you are ready to look at last figures – which are the large triangles- **red ($\triangle XYZ$)** and **green ($\triangle UVW$)** triangles.



In this triangle – are all sides equal?
 -- are two sides equal? or
 -- Nothing equal?
 If equal, which sides are equal?

In $\triangle UVW$, $UV = DE = AB$ and hence $UV = DE = AB$. You can also see that $XY = DE$ and hence $XY = DE = AB = DE = EF$

The red ($\triangle XYZ$) and green ($\triangle UVW$) triangles are exactly the same size – can you make out?



Also see, how are sides of green and red triangle related to other shapes????

We see $UV = DE = AB$; that is these sides of *parallelogram LMNO* and *orange triangle ($\triangle ABC$)* makes side UV of *green triangle ($\triangle UVW$)*.

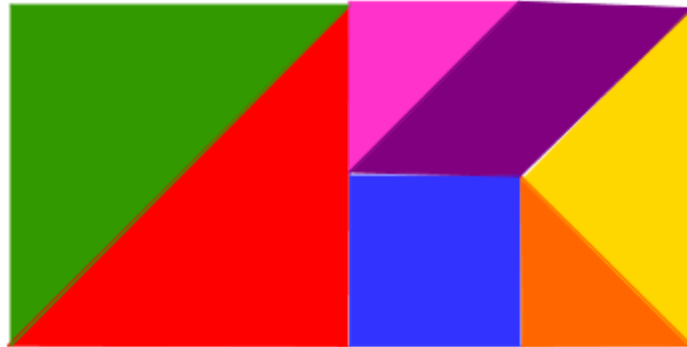
And we see, $YZ = ON + QR$; that is these sides of *parallelogram LMNO* and *square PQRS* makes side YZ of *red triangle ($\triangle XYZ$)*.

Try and cut them out in such a manner that you can keep red and green triangles one on top of the other.

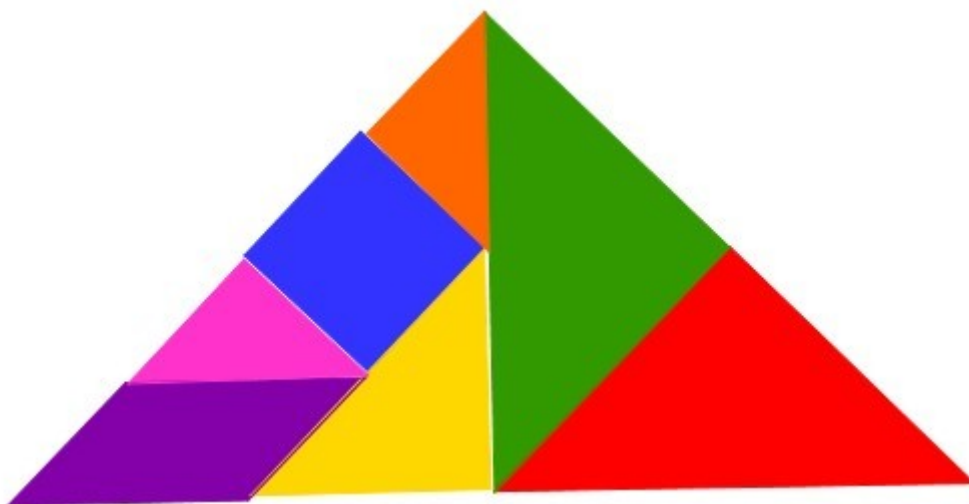
--> Now that you have cut them out - put them back together to make the shape you saw. (the larger square)

3) Try and put the shape below together, follow the above example.

(i)



(ii)



4) If you stick your shapes on cardboard, you have your own **Tangram shapes!**